000

007

008

027

## Exploiting Protrusion Cues for Fast and Effective Shape Modeling via Ellipses SUPPLEMENTARY MATERIALS

BMVC 2017 Submission # 884

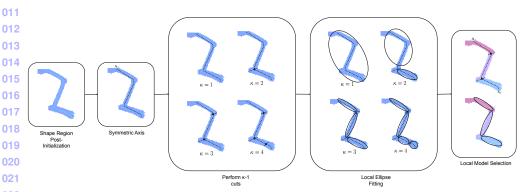


Figure 1: Examples of the local ellipse fitting procedure using  $\kappa - 1$  cuts. Given the intermediary results after applying protrusion cues, we first find the symmetric axis  $A_j$ . We then perform  $\kappa - 1$  cuts along  $A_j$  to produce  $\kappa$  regions. A candidate ellipse model is proposed for each value of  $\kappa$ , which typically ranges from 1 to 5. For each region, the local ellipse model that minimizes Eqn. 2 from the main paper is selected as the representation.

## **1** Local Ellipse Fitting with $\kappa - 1$ cuts

In the main paper, we described our local ellipse fitting method that performs  $\kappa - 1$  cuts along the symmetric axis of a region to produce  $\kappa$  subregions, to each of which we fit an ellipse. We first find the longest continuous segment through the major axis of the region and denote it as the symmetric axis  $A_i$ . Next, we initialize  $\kappa$  to 1. The first iteration is, 034 therefore, simply fitting a single ellipse over the entire region. We then increase  $\kappa$  by 1 on each subsequent iteration to make  $\kappa - 1$  cuts along the A<sub>i</sub>. We compute the inner angle (Eqn. 036 3 from the main paper) formed at each point  $a_o \in \mathbf{A}_i$  using the vectors  $\vec{a_{po}}$  and  $\vec{a_{ao}}$  where  $a_p$ and  $a_a$  are located w pixels away on either side of  $a_o$ . We form cuts along  $A_i$  at locations where the inner angle is the sharpest (e.g. the value is smallest), resulting in  $\kappa$  regions. We perform local ellipse fitting via a least-square estimator to generate a set of candidate ellipses to represent the regions. The procedure terminates when any of the ellipses falls outside of the image domain or when the least-square fitting fails due to matrix inversion. We then 041 compute the ellipse fitting cost (Eqn. 2 from the main paper) for each set of candidate 042 ellipses and select the model that minimizes the cost. This procedure is illustrated in Fig. 1. 043

<sup>&</sup>lt;sup>145</sup> It may be distributed unchanged freely in print or electronic forms.

<b>References</b> 040		
[1]	Costas Panagiotakis and Antonis Argyros. Parameter-free modelling of 2d shapes with ellipses. <i>Pattern Recognition</i> , 2015.	047 048 049
[2]	Da Xu, Richard Yi, and Michael Kemp. Fitting multiple connected ellipses to an image silhouette hierarchically. <i>Image Processing, IEEE Transactions on</i> , 19(7):1673–1682, 2010.	050 051 052 053
		054
		055
		056
		057
		058 059
		060
		061
		062
		063
		064
		065 066
		067
		068
		069
		070
		071
		072
		073 074
		075
		076
		077
		078
		079
		080 081
		082
		083
		084
		085
		086
		087
		088 089
		090
		091